WAVE PROPERTIES OF PARTICLES

- 1. De Broglie waves.
- 2. Waves of what?
- 3. Describing a wave.
- 4. Phase and group velocities.
- 5. Particle diffraction.
- 6. Particle in a box.
- 7. Uncertainty principle I.
- 8. Uncertainty principle II.
- 9. Applying the uncertainty principle.

Is there any experiment that confirms the existence of de Broglie waves?

Let us watch this clip...

In 1927, Davisson, Germer and Thomson demonstrated that electron beams are diffracted when they are scattered by the regular atomic arrays of crystals.

Davisson, Germer experiment used a block of nickel and they varied...

- The energy of the electrons in the primary beam
- The angle the electrons reach the target
- Position of the detector



Classically:

- Scattered electrons will emerge in all directions.
- moderate dependence of electron's intensity on scattering angle
- Less dependence of electron's intensity on energy of the primary electrons.

Then an accident happened!!

After the accident the results were different!

Continuous variation of scattered electron intensity with angle...

Distinct maxima and minima were observed whose position depended upon the electron energy!!



Two questions raised:

- **1.** What is the reason for this new effect?
- 2. Why did it not appear until the nickel target was baked?
- De Broglie's hypothesis suggested that electron waves are diffracted by the target like X-rays are diffracted by planes of atoms in a crystal.

At high temperature the atoms of a block of nickel are arranged in a regular lattice.

 $2d\sin\theta = n\lambda$

Is the electron diffraction consistent with this law?







At electron energy of 54 eV, a sharp maximum in the electron distribution occurred at 50° with original beam.

The angle of incidence relative to the Bragg planes is 65°.

The spacing between the planes 0.091 nm

1924 1927 1929 de Broglie's Davissonhypothesis Germer experiment de Broglie

- **Using diffraction law:**
- d = 0.091 nm
- $\theta = 65^{\circ}$
- n = 1

$\lambda = 2d \sin \theta = (2)(0.091 nm)(\sin 65) = 0.165 nm$

Using de Broglie's formula: $KE = 54 \text{ eV} = \frac{1}{2} \text{ mu}^2$ $m = 9.1 \times 10^{-31} \text{ kg}$

$$\lambda = \frac{h}{\gamma m \upsilon} = \frac{6.6 \times 10^{-34} J.s}{(1)(4 \times 10^{-24} m/s)} = 0.166 \, nm$$



Remember...

Particle diffraction is an experiment that confirms the existence of de Broglie waves.